

Monday December 2

Tutorial: h. 10-12

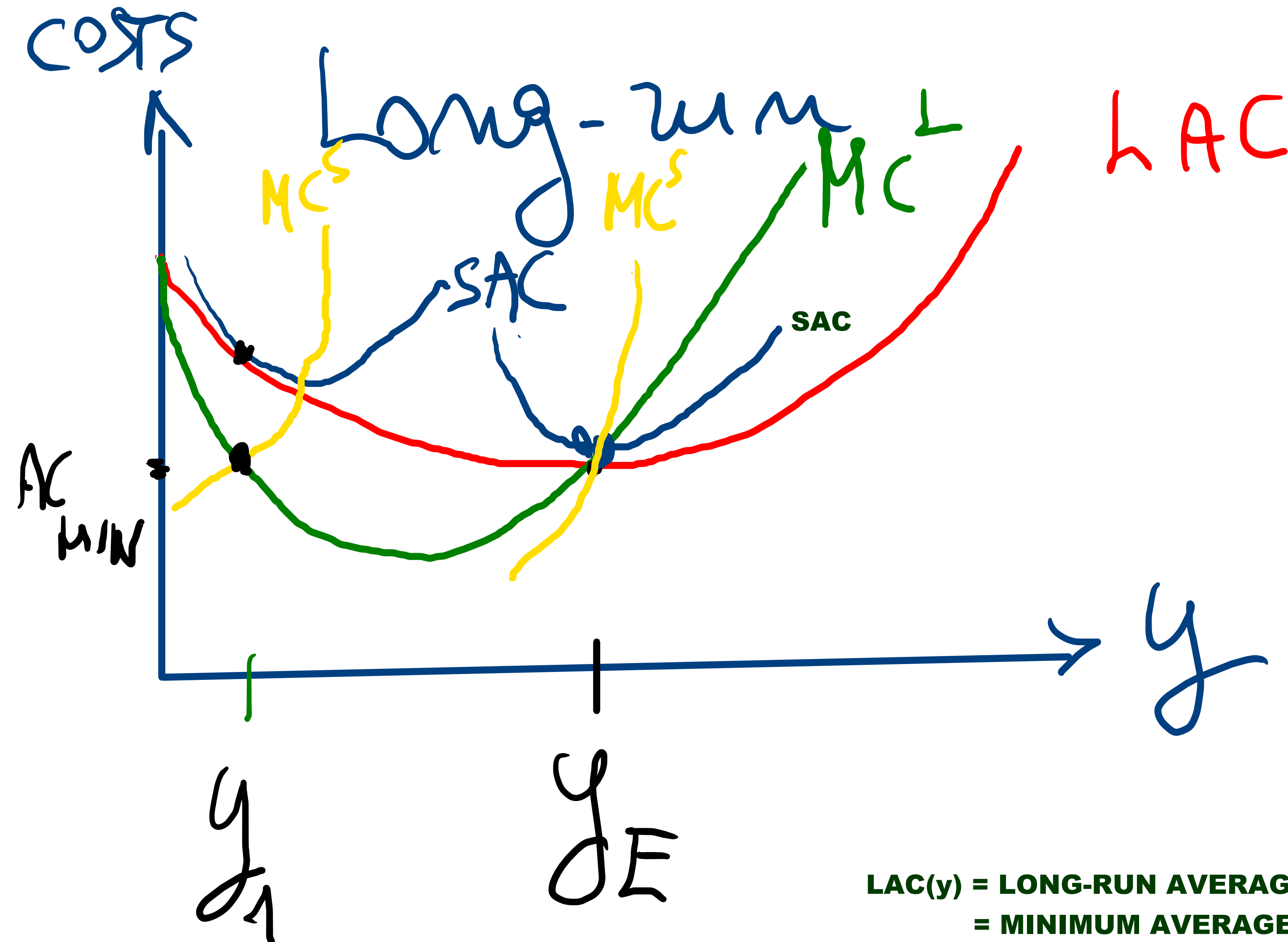
Room CHOSTRO

2nd part. exam

Tuesday 17

h. 12

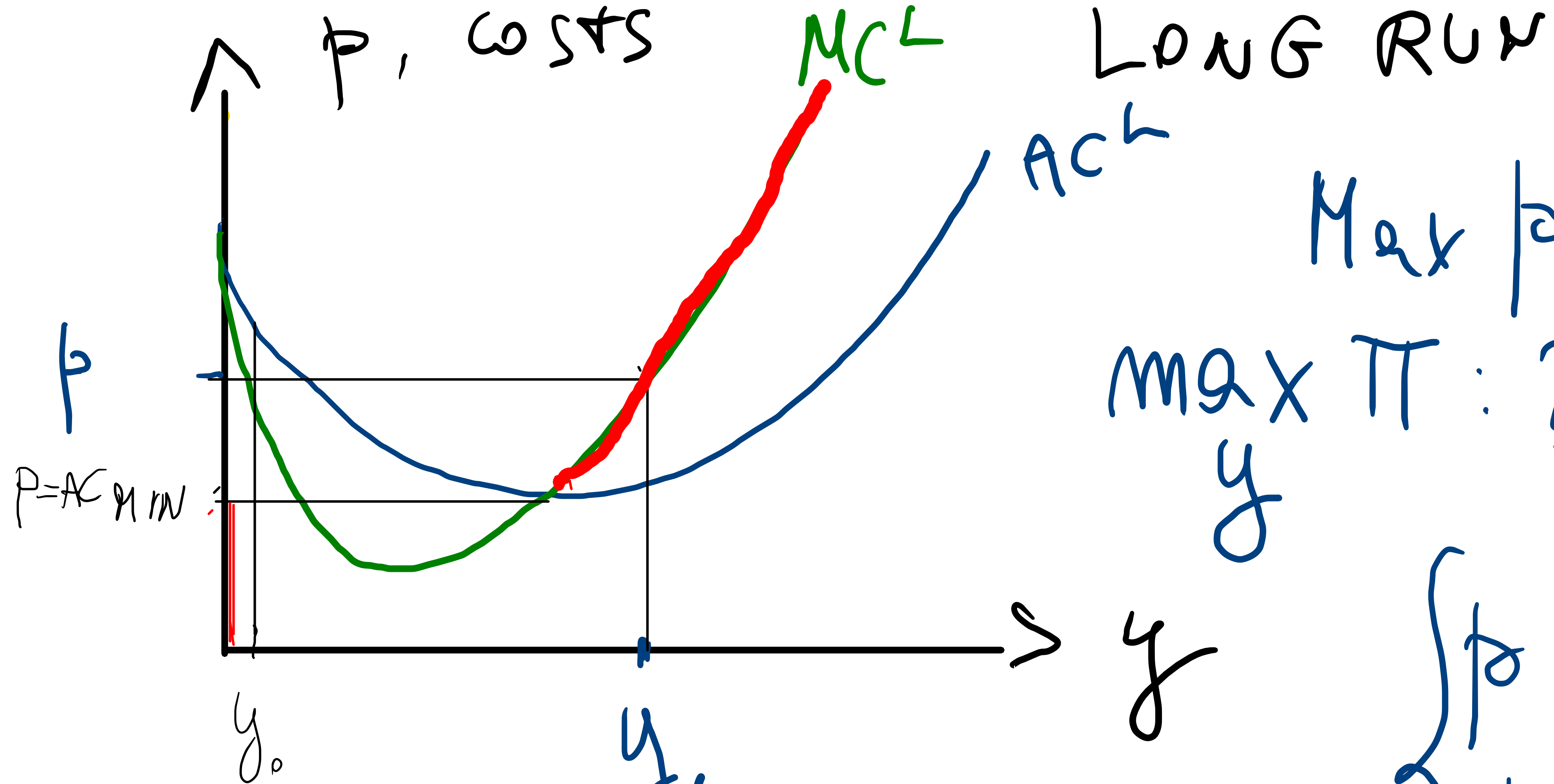
Room 9



$$y^E = y \text{ s.t. } AC(y) \text{ is minimum}$$

given w_1, w_2

LAC(y) = LONG-RUN AVERAGE COST OF OUTPUT y AT INPUT PRICES w_1, w_2
= MINIMUM AVERAGE COST FOR PRODUCING y
= AVERAGE COST TO PRODUCE y WHEN THE QUANTITY OF EACH FACTOR IS COST-MINIMISING AT INPUT PRICES w_1, w_2 .
(INCLUDING FACTOR 2 WHICH IS FIXED IN THE SHORT RUN)



$$\text{Max } p \cdot y - C(y)$$

$$\text{max}_y \pi : \frac{\partial \pi}{\partial y} = 0$$

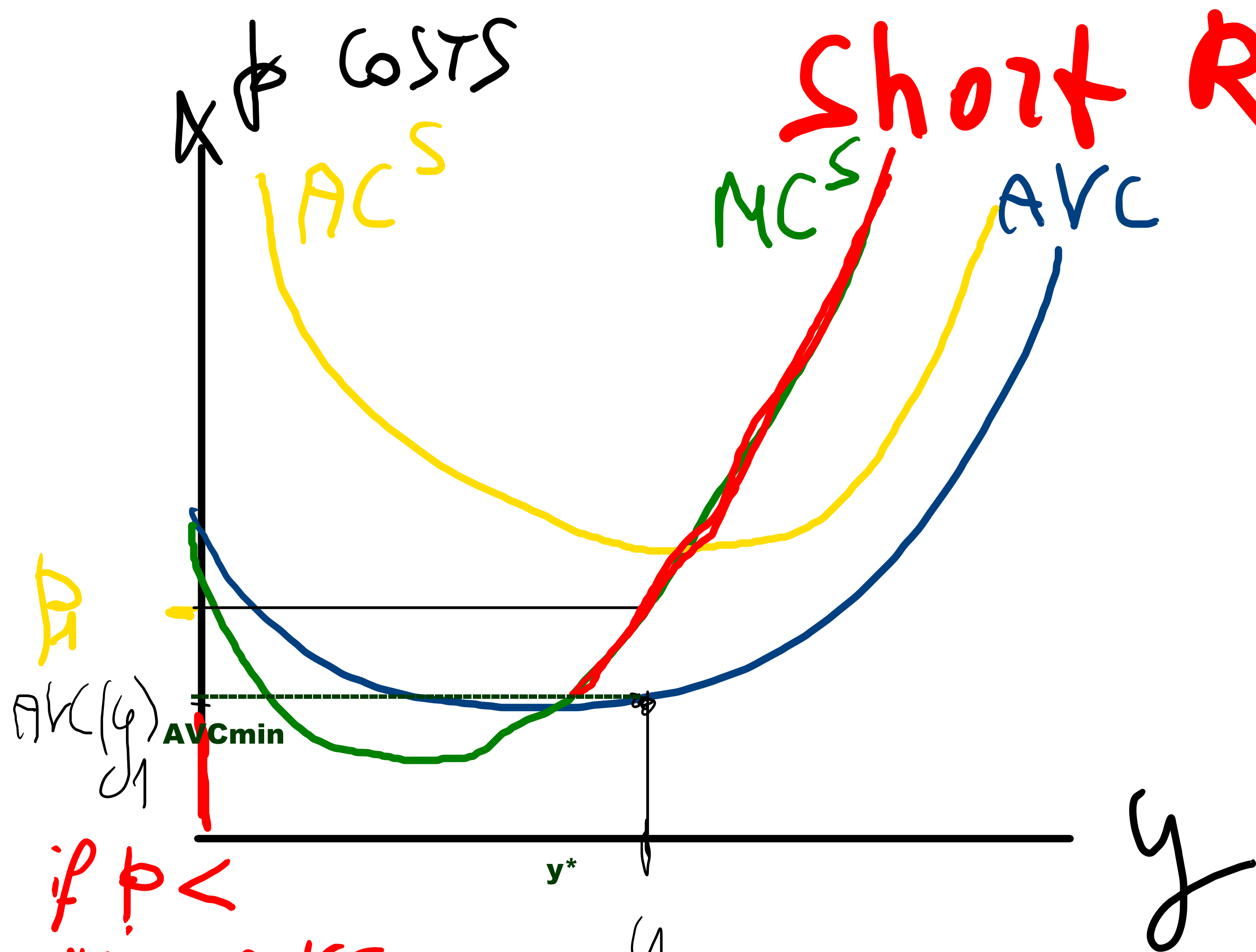
$$\begin{cases} p = MC(y) \\ p \geq AC(y) \end{cases}$$

Long Run
 $p <$

Shut down cond:
 $AC \text{ MIN}$

Short Run

$y^* = \text{output such that } AVC(y) = AVC_{\min}$



$$C = VC + F$$

$$AC = AVC + \frac{F}{y}$$

$$p_1 = MC^S(y_1)$$

if $p <$
Min AVC

then $y = 0$

SHUT-DOWN PRICE IS:

MIN AVC = p^s

Var. Cost $(y_1) = y_1 \cdot AVC(y_1)$

if $p < p^s$

$y = 0$

Revenue of $p_1 =$

$$p_1 \cdot y_1$$

> VARIABLE COST = $y_1 \times AVC(y_1)$

Producer's Surplus

$p \cdot y$ - Minimum Revenue
at which the firm
is willing to produce y

$$\text{Short Run} = p \cdot y - \text{Var. Cost}(y)$$

$$\text{Long Run} = p \cdot y - C(y) = \pi$$

Profit

Long-Run Industry Supply
otherwise exit

$$p \geq AC_{min}$$

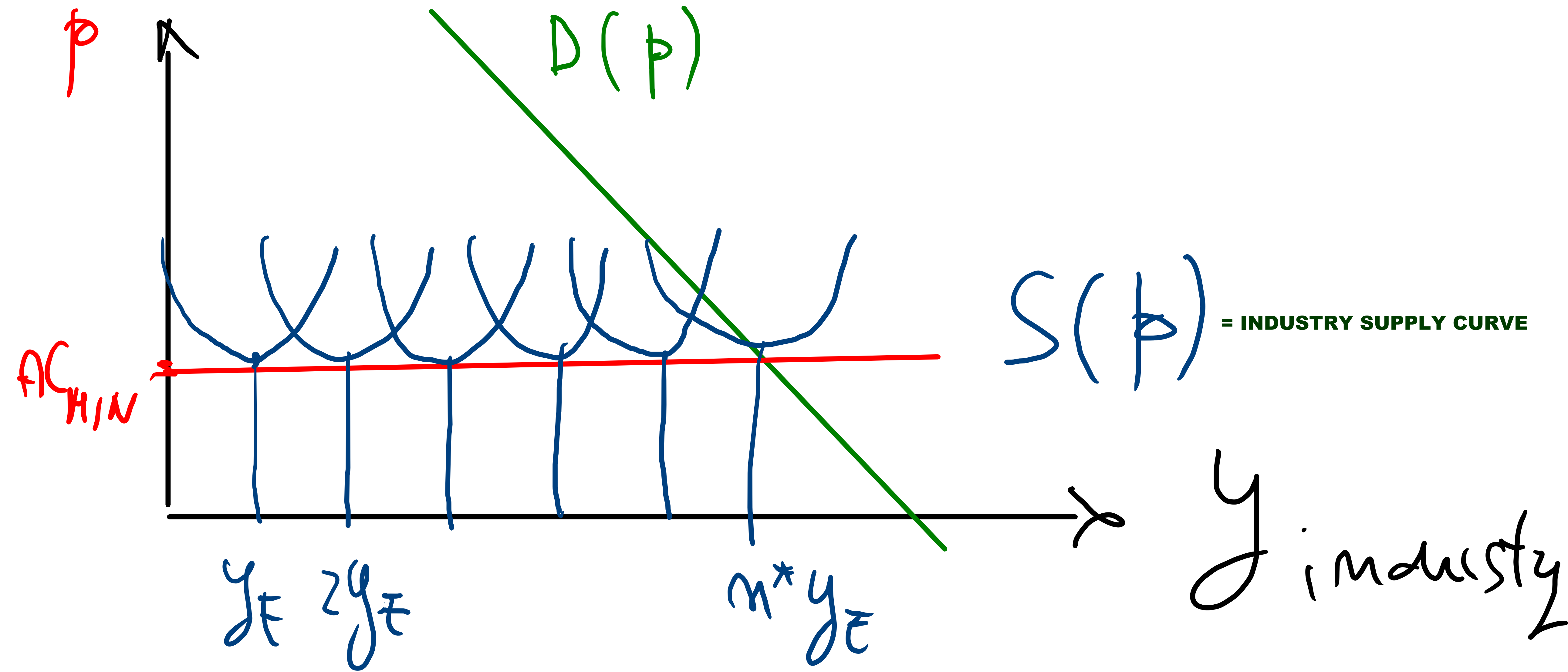
$$p > AC_{min} \rightarrow \text{entry}$$

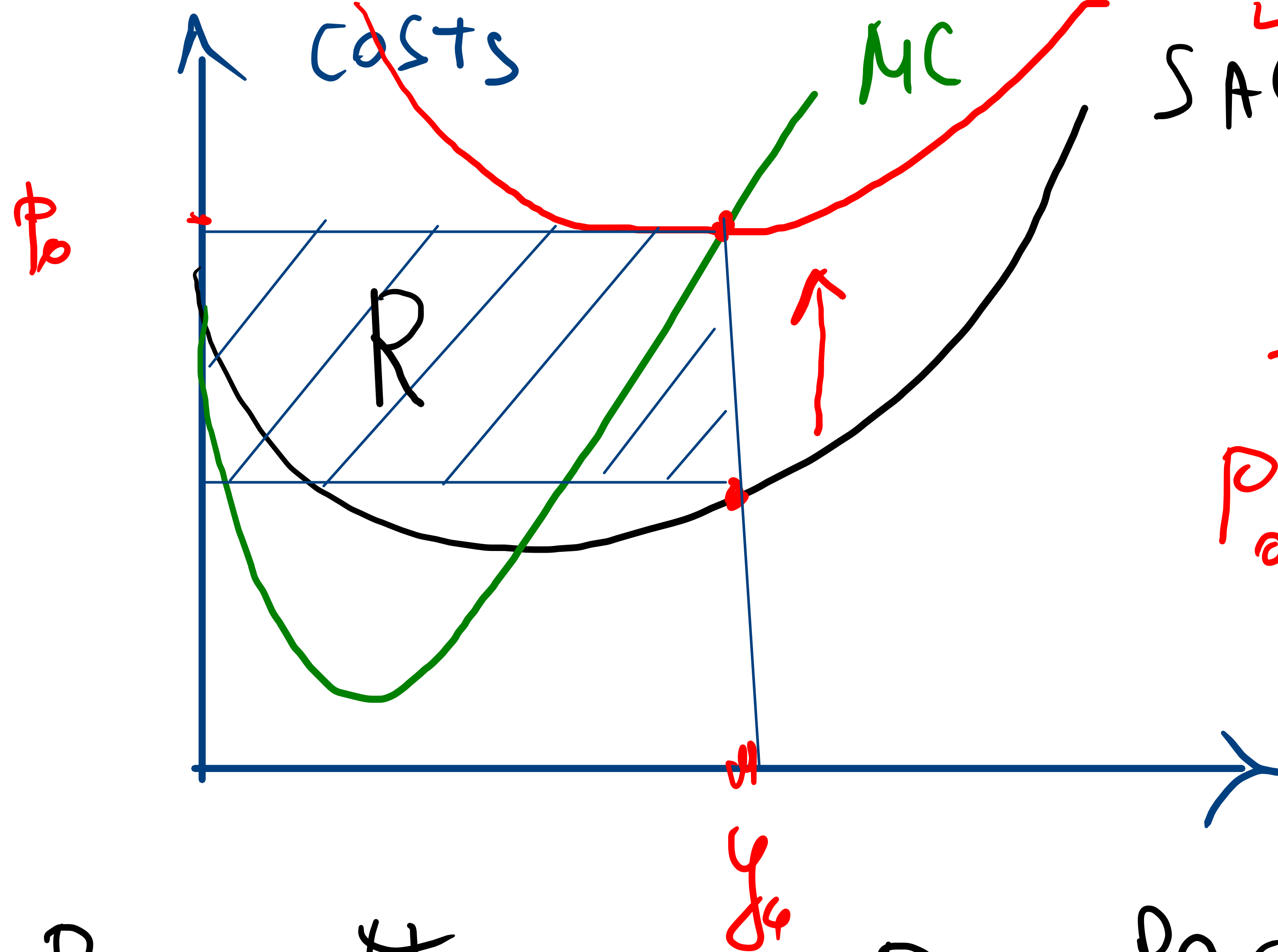
n = NUMBER OF FIRMS

$$\rightarrow p = AC_{min}$$

$$y_i \approx y_E \quad \text{long run } n^*$$

$$n^*: \max n \quad \text{s.t.} \begin{cases} (n+1)y_E > D(p=AC_{min}) \\ ny_E \leq D(p=AC_{min}) \end{cases}$$





SAC^{LAC}

Firm i

$$SAC(y_0) \cdot y_0 = C(y_0)$$

$$P_0 y_0 - C(y_0) = \pi_0$$

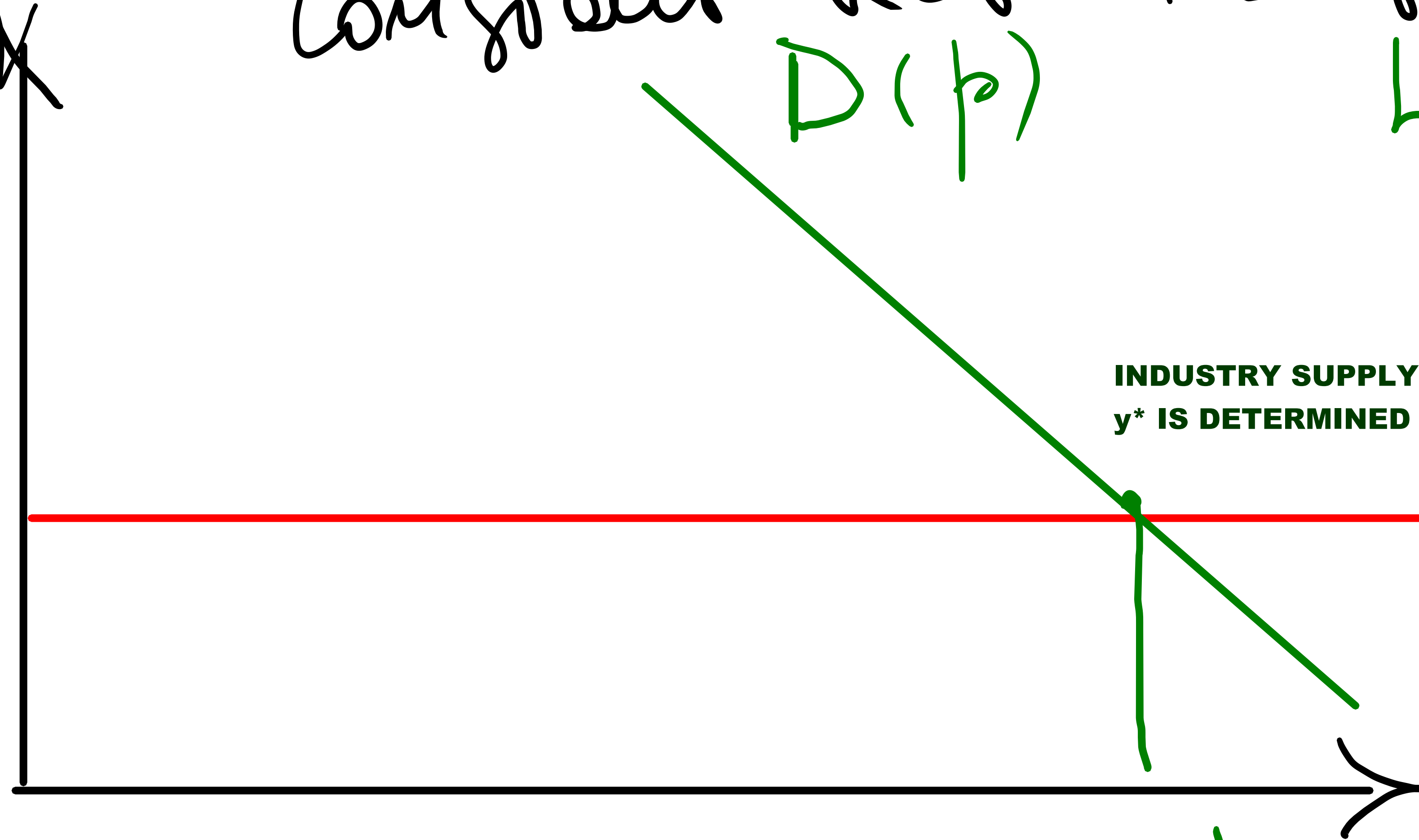
FIRMS IN INDUSTRY ARE USING ONE FACTOR (ex. land, oil) WHICH IS FULLY EMPLOYED AND IN LIMITED SUPPLY. IF FIRMS MAKE POSITIVE PROFITS, COMPETITION TO BUY MORE UNITS OF THE FACTOR WILL DRIVE THE FACTOR PRICE AND THE AVERAGE COST UP UNTIL PROFIT=0

$R = \pi_0$ in the long run $\pi \rightarrow 0$ $R = \text{factor Rent}$

RENT = factor remuneration exceeding the cost of making the factor productive (ex. cost of oil extraction, cost of land maintenance)

Constant Returns to Scale
 Long Run
 $D(p)$

p^*



$$MC^L = AC^L$$

y industry

n is undetermined y^*
 y_i is undetermined y industry

FIRM'S OUTPUT IS UNDETERMINED